

# Starling: automating concurrency verification

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Work In Progress

# Views: Compositional Reasoning for Concurrent Programs

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## Abstract

Compositional abstractions underly many reasoning principles for concurrent programs: the concurrent environment is abstracted in order to reason about a thread in isolation; and these abstractions are composed to reason about a program consisting of many threads. For instance, separation logic uses formulae that describe part of the state, abstracting the rest; when two threads use disjoint state, their specifications can be composed with the separating conjunction. Type systems abstract the state to the types of variables; threads may be composed when they agree on the types of shared

In a concurrent setting, compositional reasoning allows a thread to be considered in isolation, rather than considering all possible interleavings of a program.

Type systems and program logics are two common forms of compositional reasoning. They strike a balance between invariant properties that must be preserved during the execution of a concurrent program, and operations that may be performed. Standard type systems and rely-guarantee methods [20] focus on preserving global properties: for example, the typing of the memory. Such approaches are good at handling sharing and interference, but work less well with stateful behaviour. Contrastively, separate

# Ticketed Lock

```
global int ticket; // The next ticket to hand out.
global int serving; // The current ticket holding the lock.

method lock() {
    <t = ticket++>;
    do {
        <s = serving>;
    } while (s != t);
}

method unlock() {
    <serving++>;
}
```

# Ticketed Lock

```
method lock() {  
  { | emp | }  
  <t = ticket++>;  
  do {  
    <s = serving>;  
  } while (s != t);  
  { | holdLock() | }  
}
```

```
method unlock() {  
  { | holdLock() | }  
  <serving++>;  
  { | emp | }  
}
```

```
constraint holdLock() * holdLock() -> false;
```

# Ticketed Lock

```
method lock() {
  { | emp | }
  <t = ticket++>;
  { | holdTick(t) | }
  do {
    { | holdTick(t) | }
    <s = serving>;
    { | if s==t then holdLock() else holdTick(t) | }
  } while (s != t);
  { | holdLock() | }
}

method unlock() {
  { | holdLock() | }
  <serving++>;
  { | emp | }
}

constraint holdLock() * holdLock() -> false;
```

Demo

# Views

$\forall (\{p\}a\{q\}) \in \text{Axioms}. \forall c \in \text{Views}. \llbracket a \rrbracket [p * c] \subseteq [q * c]$

# Checking proof outline

$$\forall (\{p\}a\{q\}) \in \text{Axioms}. \forall c \in \text{Views}. \llbracket a \rrbracket [p * c] \subseteq [q * c]$$

# Reification

$$\mathcal{D}_{\uparrow}(p) = \begin{cases} \mathcal{S} & \text{if } p \notin \text{dom}(\mathcal{D}) \\ \mathcal{D}(p) & \text{if } p \in \text{dom}(\mathcal{D}) \end{cases}$$

$$\mathcal{D} : \text{Views} \rightarrow \mathcal{P}(\mathcal{S})$$

constraint  $\overbrace{\text{holdLock()} * \text{holdLock()}}^r$   $\rightarrow$   $\overbrace{\text{false;}}^{\mathcal{D}(r)}$

$$\lfloor q \rfloor = \bigcap_{p \subseteq_m q} \mathcal{D}_{\uparrow}(p)$$

Check proof outlines

$$\forall (\{p\}a\{q\}) \in \text{Axioms}. \forall r \in \text{dom}(\mathcal{D}). \llbracket a \rrbracket [p * (r \setminus_m q)] \subseteq \mathcal{D}(r)$$

# Proof

$$\begin{aligned} & \forall r \in \text{dom}(\mathcal{D}). \llbracket a \rrbracket [p * (r \setminus_m q)] s \Rightarrow \mathcal{D}(r)(s) \\ \implies & \forall c. \forall r \in \text{dom}(\mathcal{D}). r \setminus_m q \subseteq_m c \Rightarrow \llbracket a \rrbracket [p * c] s \Rightarrow \mathcal{D}(r)(s) \\ \implies & \forall c. \forall r \in \text{dom}(\mathcal{D}). r \subseteq_m q * c \Rightarrow \llbracket a \rrbracket [p * c] s \Rightarrow \mathcal{D}(r)(s) \\ \implies & \forall c. \llbracket a \rrbracket [p * c] s \Rightarrow \forall r \in \text{dom}(\mathcal{D}). r \subseteq_m q * c \Rightarrow \mathcal{D}(r)(s) \\ \implies & \forall c. \llbracket a \rrbracket [p * c] s \Rightarrow [q * c] s \end{aligned}$$

# Open Development

Follow the project on GitHub:

<http://github.com/septract/starling-tool/>